$a=$ artichokes $t=$ tomatoes
equations
$10 t+20 a \leq 1200 \quad t+a \leq 90 \quad t \geq 30 \quad a \geq 10$

Income equation: $10,000 t+25000 a=I$


Each set of co-ordinates which are the vertices for the feasible region are put into the profit equation $I=10,000 t+250000 a$

| Vertices | $10,000 t+25000 a$ | $10,000 t+20000 a$ |
| :---: | :---: | :---: |
| A $(30,45)$ | $1,425,000$ |  |
| B $(60,30)$ | $1,350,000$ |  |
| C $(80,10)$ | $1,050,000$ |  |
| D $(30,10)$ | 550,000 |  |

In the current year, Ted should plant 30 hectares of tomatoes and 45 hectares of artichokes in order to maximise his income. If he does this, his income will be $\$ 1,425,000$ according to his expectation regarding how much he will receive per hectare.

Future payments of tomatoes: artichokes is predicted at 1:2. As the value was previously $\$ 10,000$ per hectare of tomatoes and $\$ 25,000$ per hectare of artichokes, the future value can be estimated at $\$ 10,000$ for tomatoes and $\$ 20,000$ for artichokes.
The new income equation will therefore be $I=10,000 t+20000 a$

In future years Ted could pant either 30 hectares of tomatoes and 45 hectares of artichokes or 60 hectares of tomatoes and 30 hectares of artichokes, both options providing \$1,200,000.

However, seeing as artichokes are very labour-intensive, Ted's best option would be to plant 60 hectares of tomatoes and 30 hectares of artichokes in future years.

